

Nano Bat

# Benchmarking Conformal BoR FDTD Algorithm for Efficient mm-Wave Design of Multiflare Antennas

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This work is concerned with the assessment of accuracy and efficiency of FDTD algorithms for the design of millimetre-wave horn antennas. Specific interest is in smoothwalled multiflare horns, which at such frequencies appear as promissing alternatives to corrugated horns, due to lower sensitivity to manufacturing tolerances and lower costs. Yet their modelling poses new challenges due to inclined or curved walls. We demonstrated that a conformal FDTD method in the Bodies-of-Revolution 2D formulation in cylindrical coordinates is specifically suitable for the task, retaining the geometrical flexibility of FDTD with the computational efficiency dedicated Method-of-Moment solvers.

### Multiflare horn antenna as benchmarking example...

Horn antennas are, basically, a waveguide whose transverse section increases progressively along its longitudinal axis. Therefore, horns share the main advantages that waveguides present, like low power losses, great mechanical high-power and handling robustness capabilities. Additionally, they can achieve high directivity values and also present low return loss levels. All these characteristics make them especially suited for critical applications where high performance is required.

Conformal BoR FDTD modelling The most popular variant is 3D FDTD in Cartesian coordinates, but for structures preserving the axial symmetry of boundary conditions another FDTD variant, namely the Bodies-of-Revolution (BoR) FDTD is advantageous. It incorporates the angular field dependence (angular mode number) analytically and restricts the spatial discretisation to half of the longitudinal long-section of the antenna. It has been broadly used for corrugated horns and now Symbol tested for the multiflare horn herein. In Value contrast to the fixed rectangular grid used in the FDTD method, conformal FDTD makes the computational domain consistent with the boundary of the object being modeled. This approach allows for more accurate modeling of objects with curved surfaces and complex shapes, making it a valuable tool in a variety of applications.



#### Mode-matching modelling

A horn-type antenna can be viewed as a twoport waveguide device, where one of the ports corresponds to the radiating aperture. The mode-matching technique is a well-known approach to analyze a horn antenna, which is done in three steps. In the first step, the horn profile is discretized in a high-number of very small two-port waveguide sections cascaded along the longitudinal axis. These partial problems are characterized by their Generalized Scattering Matrix (GSM), which are cascaded retaining the high-order mode interaction between sections. Second, the electromagnetic field at the aperture is obtained after solving the resultant problem of the GSM cascading. Finally, in the third step, that computed field is inserted into the radiation integrals to obtain the far field with the field equivalence



0.406

Return loss.calculated by BoR FDTD at meshing of  $\lambda$ /30 (CPU time 3 seconds) and  $\lambda$ /45 (10 seconds).

NanoBat software and as one of the results of such a simulation, we get the return loss.

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## **3D FDTD vs BoR FDTD**

When considering 3D FDTD calculations from 31 MB of RAM, as much as 4 GB should be allocated if  $\lambda$  /20 resolution is set, which is equivalent to 50789508 cells. Increasing the resolution to  $\lambda/25$  results in an increase in the order of an additional 4 GB of memory. However, it can be seen that as the resolution increases, the results of the S11 scattering matrix approach the BoR FDTD solution which is shown above on Fig.3. The increased amount of resources is associated with an increase in calculation time to 02:07:45 hours for  $\lambda/20$  and 2:48:17 hours for  $\lambda/25$ . With higher resolution Both 3D FDTD and BoR FDTD methods were performed on a standard computer with parameters: i7-8700, 16 GB RAM and AMD Radeon Pro WX 3100. A change of computer was required to get results for 3D FDTD with the  $\lambda/45$ resolution. This was needed because the 3D mesh uses a huge amount of RAM equal to 45.856 GB. Calculation time tooks 11:59:41 hours.



#### Benchmarking

For the Mode-Matching method, 140 mods are considered for this type of antennas, where the number of modes at each discontinuity is assigned in terms of the surface ratio between such discontinuity and the aperture. With this method, the calculations were completed in 686.1 seconds on the computer i7-4790 CPU and 31.8 GB RAM. All methods were compared to the commercial CST solution on figure below.



Return loss calculated by 3D FDTD of meshing  $\lambda/20$  (CPU 02:07:45) and  $\lambda/25$  (2:48:17) compared with BoR FDTD of  $\lambda/45$  (10 seconds).

Return loss calculated using different methods: Mode-Matching, 3D FDTD (CST and NanoBat software) and BoR FDTD with conformal mesh generated by NanoBat Modeller. Conclusions

We have demonstrated that a conformal BoR FDTD algorithm combines the speed of dedicated mode-matching algorithms for horn antennas with the generality and geometrical flexibility of popular 3D FDTD solvers. This is because the BoR approach uses, in fact, the modal expansion in one (angular) space dimension, reducing the discretisation to 2D and thereby reducing memory and computing time by over 2-3 orders of magnitude, and making even large and complex structures tractable on a laptop or desk-top computer. The locally conformal approach additionally contributes to the accurate modelling of curved boundaries of multiflare antennas, while the time-domain approach makes simulation time practically independent of the number of calculated frequency points.

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